

## Quadrilaterals Part 2

## Solution

4. (a)  $\angle BEC = 90^\circ$  (prop. of rhombus)

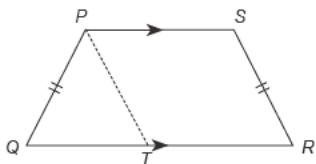
$$\begin{aligned}BC^2 &= BE^2 + EC^2 \text{ (Pyth. thm.)} \\&= 15^2 + 8^2 \\BC &= \sqrt{289} \\&= 17 \text{ cm}\end{aligned}$$

$$\text{(b) perimeter} = 17 \times 4 \\ = 68 \text{ cm}$$

$$\text{area} = \frac{15 \times 8}{2} \times 4$$

$$= 240 \text{ cm}^2$$

5. Add a line  $PT$  by shifting the line  $SR$  such that  $PSRT$  is a parallelogram.



$$PT = SR$$

$$= PQ$$

$$\therefore \angle PQR = \angle PTQ \text{ (base } \angle\text{s, isos. } \Delta\text{)} \\ = \angle SRQ \text{ (corr. } \angle\text{s, } PT \parallel SR\text{)}$$

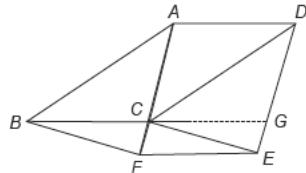
6. (a) Since  $ABCD$  is a parallelogram,  $AD = BC$  and  $AD \parallel BC$ .

Since  $BCEF$  is a parallelogram,  $BC = FE$  and  $BC \parallel FE$ .

Therefore,  $AD = FE$  and  $AD \parallel FE$ .

$ADEF$  is a parallelogram. (a pair of opp. sides equal and  $\parallel$ )

- (b) Add a point  $G$  on  $DE$  such that  $BCG$  is a straight line.



$$\angle ABC = \angle DCG \text{ (corr. } \angle\text{s, } AB \parallel DC\text{)}$$

$$\angle CBF = \angle GCE \text{ (corr. } \angle \text{s, } BF \parallel CE\text{)}$$

$$AB = CD$$

$$BF = CE$$

$$\therefore \triangle ABF \cong \triangle DCE \text{ (SAS)}$$

- $$7. \quad \angle BCD = 90^\circ \text{ (prop. of rectangle)}$$

$$\angle DBC = 180^\circ - 90^\circ - 36^\circ \text{ } (\angle \text{ sum of } \Delta) \\ = 54^\circ$$

$$\angle DBF = \angle DFB \text{ (base } \angle \text{s, isos. } \Delta)$$

$$\angle DBF + \angle DFB + 36^\circ = 180^\circ \text{ (sum of } \Delta)$$

$$2\angle DFB = 144^\circ$$

$$\angle DFB = 72^\circ$$

$$\angle CBF + 54^\circ = 72^\circ$$

$$\angle CBF = 18^\circ$$

$$\angle BED = \angle BFD = 72^\circ \text{ (opp. } \angle\text{s of } // \text{ gram)}$$